Algebra of events

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Let A, B, C be event associated with an experiment whose sample space is S
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Complementary event: - for every event A their corresponds another event a' called the complementary event to A.

it is also called the event "not A"

e.g. take the experiment of tossing three coins.

S= (HHH, HHT, HTH, THH, HTT, HTT, THT, TTH, TTT)

Let A = (HTH, HHT, THH) be the event 'only one tail appears'

A'= (HHH, HTT, THT, TTH, TTT)

Thus, the complementary event 'not A to the event A is A'

In general, A' = (w: w€s and w∉ a)

A' = S-A

2. The events A OR B

When the sets A and B are two events associated with a sample space then AUB denoted the event A and B thus $A\Pi$ B= (w: w \in A and w \in B)

3. the event A and B.

IF A and B are two events, then the set AIIB denotes the event A and B thus AIIB = (w: w \in A and w \in B)

4.The event A but not B

A-B = set of all those elements which are in A but not in B

А-В = АПВ'

B' =not B.

Example: Let E be an experiment of rolling a die.

A= event pf getting a prime number

B= event of getting an odd number

Sample space S= (1,2,3,4,5,6)

A= (2,3,5) B= (1,3,5)

Then A or B = AUB= (1,2,3,5)

A and B = AΠB = (3,5)

A but not B = A-B = (2) Not A = A'= (1,4,6)